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1E1023

B. Tech. (Sem. I) (Main/Back) Examination, January/February - 2011
Physics - I
(Common to all Branches of Engg.)

Time : **3** Hours]   [Total Marks : **80**
                                                [Min. Passing Marks : **24**

Attempt overall **five** questions selecting **one** question from
each unit. All questions carry **equal** marks.

Use of following supporting material is permitted during examination.
(Mentioned in form No. 205)

1._____**Scientific Calculator**_____
   _____(Non-Programmable)_____   2._____**Nil**_____

UNIT - I

1   (i)   Explain the working of Michelson's interferometer. How it is
          used to measure the difference in the wavelength between
          the D lines of sodium light?

                                                                    8

    (ii) Michelson interferometer experiment is performed with a
          source which have two wavelengths $4882 \overset{\circ}{A}$ and $4886 \overset{\circ}{A}$.
          By what distance does the mirror have to be moved between
          positions of disappearance of fringes?

                                                                    4

    (iii) Write short note on Interference filters.

                                                                    4

OR

1   (i)   Explain the formation of Newton's rings in reflected light.
          Why Newton's rings are circular in shape, Explain.

                                                                    6

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(ii) Light containing two wavelengths λ_1 and λ_2 falls normally on a plano convex lens of radius of curvature R resting on a glass plate. If the nth dark ring due to λ_1, coincides with the $(n+1)^{th}$ dark ring due to λ_2, prove that the radius of the nth dark ring of λ_1 is $\sqrt{\dfrac{\lambda_1 \lambda_2 R}{\lambda_1 - \lambda_2}}$.

6

(iii) Write short note on Anti-reflection coating.

4

UNIT - II

2 (i) Show that plane polarised and circularly polarised light are the special cases of elliptically polarised light.

8

(ii) Intensity of light through a polariser and analyser is maximum when their principal planes are parallel. Through what angle the analyzer must be rotated so that the intensity gets reduced to 1/4 of the maximum value.

4

(iii) What is Malus Law?

4

OR

2 (i) Describe the construction and working of Laurent's half shade polarimeter.

6

(ii) What are quarter wave and half wave plates? - Explain.

6

(iii) 80 gm of impure sugar when dissolved in a litre of water, gives an optical rotation of 9.9°, when placed in a tube of length 200 mm. If the specific rotation of sugar is 66 degree/dm / (gm/cc), find the percentage purity of sugar sample.

4

UNIT - III

3 (i) Find out an expression for intensity at a point in the Fraunhofer diffraction due to a single slit. Draw the intensity distribution curve.

8

(ii) The width of a slit is 0.012 mm. Monochromatic light is incident on it. The angular position of first bright line is 5.2°. Calculate the wavelength of incident light.

4

(iii) What is difference in Fresnel's and Fraunhofer diffraction?

4

OR

3 (i) Show that the intensity of light diffracted from a plane transmission grating is given by

$$I = I_o \left(\frac{\sin \alpha}{\alpha} \right)^2 \left(\frac{\sin N\beta}{\sin \beta} \right)^2 .$$

Where symbols have their usual meaning.

8

(ii) A diffraction grating just resolves lines 4547.27 $\overset{\circ}{A}$ and 4547.98 $\overset{\circ}{A}$ in third order. Will it resolve lines 6437.48 $\overset{\circ}{A}$ and 6437.95 $\overset{\circ}{A}$ in the first order?

4

(iii) Explain Rayleigh criterion of resolution.

4

UNIT - IV

4 (i) Obtain an expression for shift in wavelength of the scattered photon by Compton scattering.

8

(ii) In compton experiment the wavelength of x-ray radiation scattered at an angle of 45° is 0.022 $\overset{\circ}{A}$. Calculate the wavelength of the incident x-rays.

4

(iii) Give physical interpretation of wave function.

4

OR

4   (i)   Write down Schrodinger's equation for a particle confined in a one dimensional box. Obtain the wave function for a particle confined in this box.

8

(ii)   A particle is moving in one-dimensional potential box (of infinite height) of width 25 $\overset{o}{A}$. Calculate the probability of finding the particle within an interval of 5 $\overset{o}{A}$ at the centres of the box when it is in its state ot least energy.

4

(iii)   Explain normalized and orthogonal wave functions.

4

UNIT - V

5   (i)   State the postulates of special theory of relativity and deduce from them the Lorentz Transformations.

8

(ii)   Rocket 'A' travels towards the right and rocket 'B' travels to the left, with velocities 0.8 c and 0.6 c, respectively relative to the earth. What is the velocity of rocket 'A' measured from rocket 'B'?

4

(iii)   Describe experiment verification of time dilation.

4

OR

5   (i)   Derive Einstein's mass energy relation and explain its importance.

6

(ii)   Prove that particle having rest mass zero is always move with velocity of light.

6

(iii)   If P and E represent the momentum and energy of a particle, then show that, under Lorentz Transformations, $\left(P^2 - \dfrac{E^2}{c^2} \right)$ is an invariant.

4